

# Automatic Adaptation to Sensor Replacements

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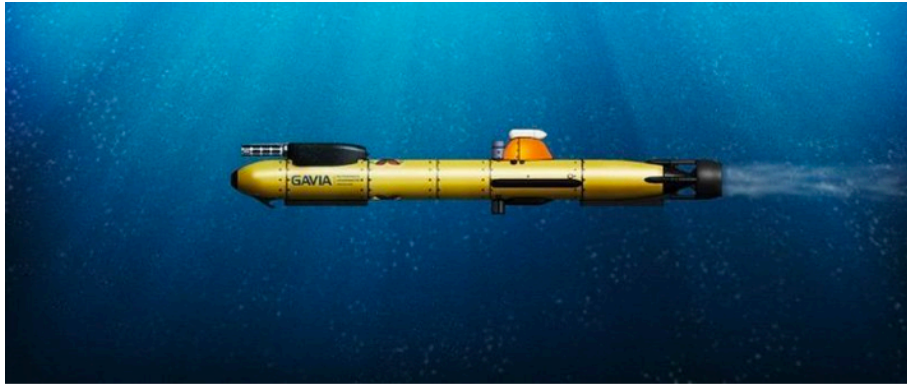
Joint work with **T. K. Satish Kumar** and **Craig A. Knoblock**

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# Motivation



Unmanned Underwater Vehicle (UUV)



Self-driving Car

## Challenges for software systems:

- Changing and uncertain environment
- System failures and changes

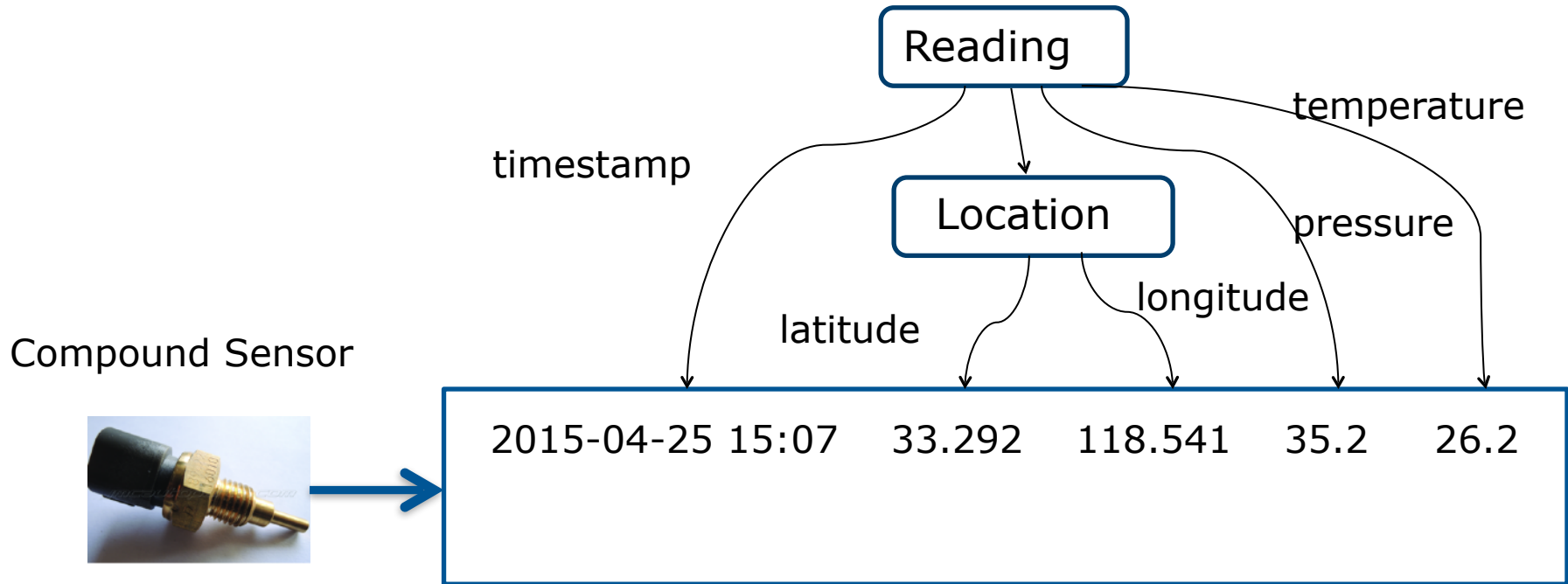
How to build **long-lived, survivable** software systems?

- Significantly reducing maintenance cost
- Goal of the DARPA BRASS (Building Resource Adaptive Software Systems) program

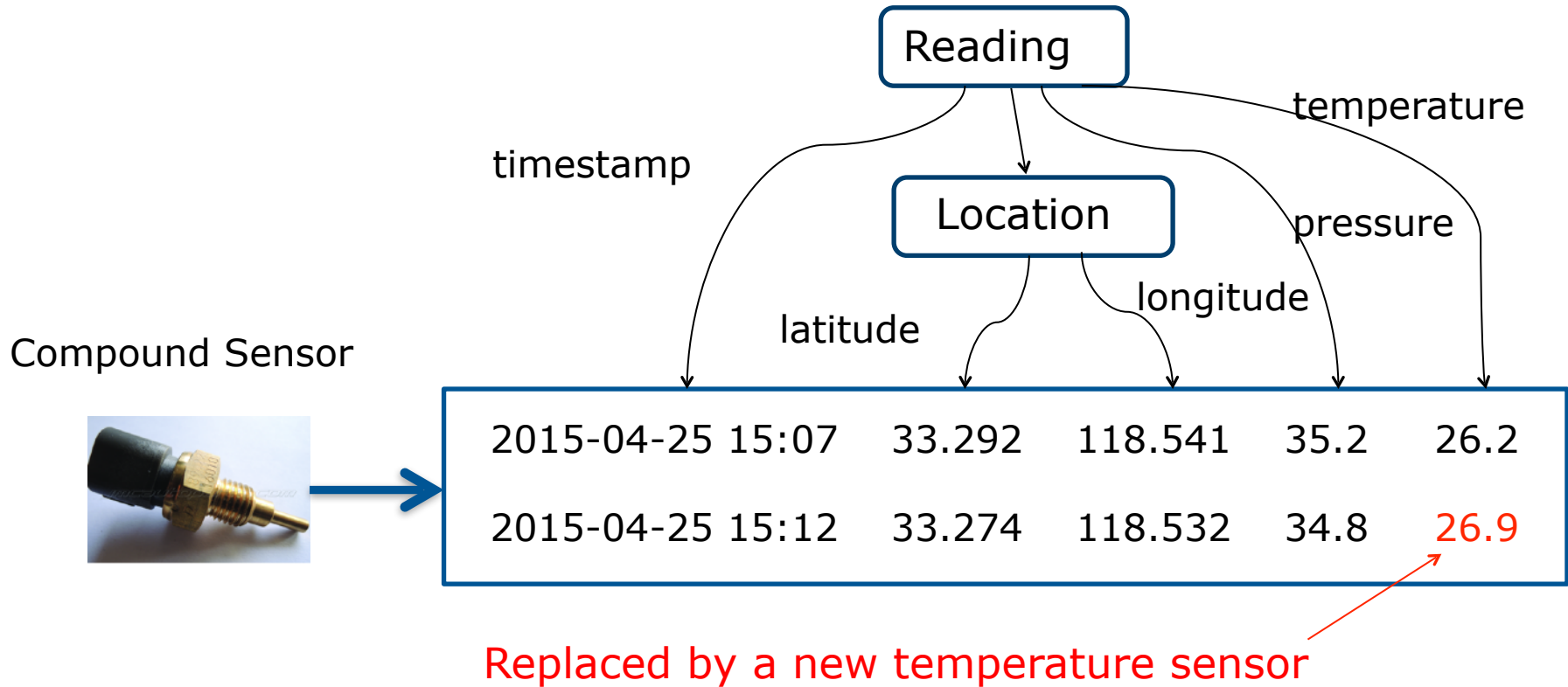
# Motivation

- Our focus: **adaptation to sensor replacements**
  - A set of sensors are replaced by **new sensors**
  - Causes: replacement of failed sensors, sensor upgrade, energy optimization, etc.
- Extension of our previous work [Yuan and Craig, IJCAI'17] that can be used to exploit a **single** new sensor

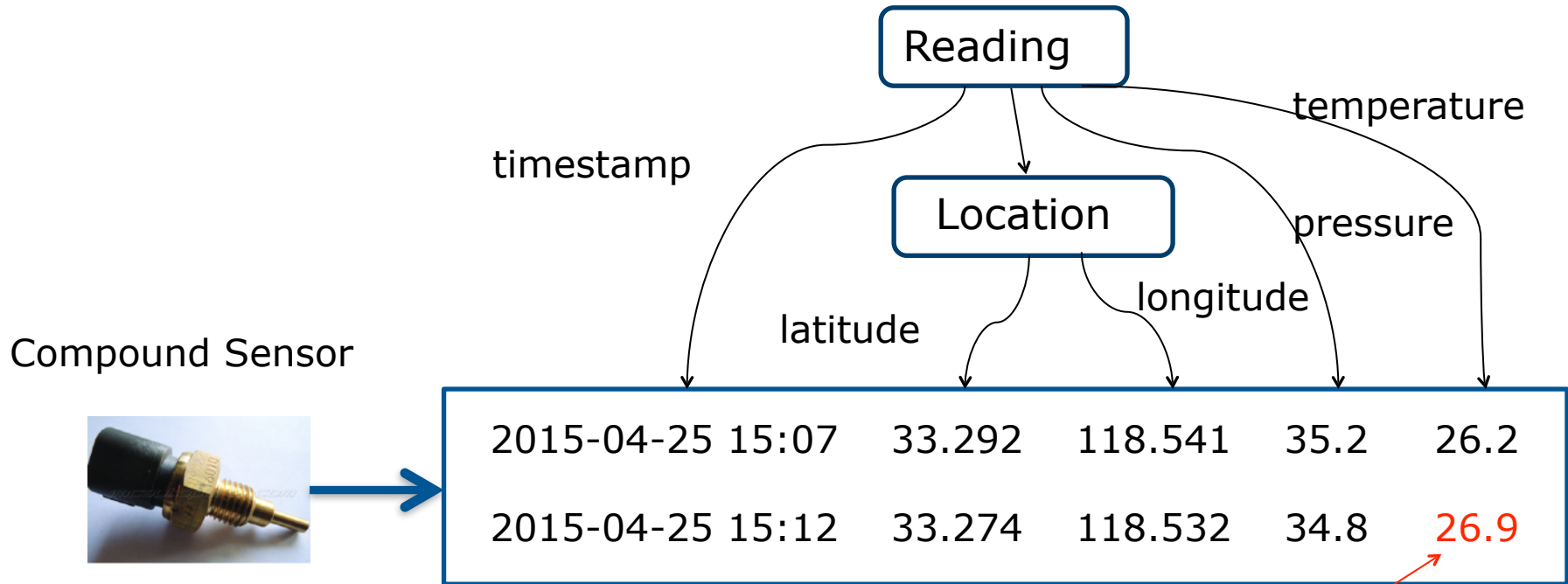
# Real-world Example of Sensor Replacement



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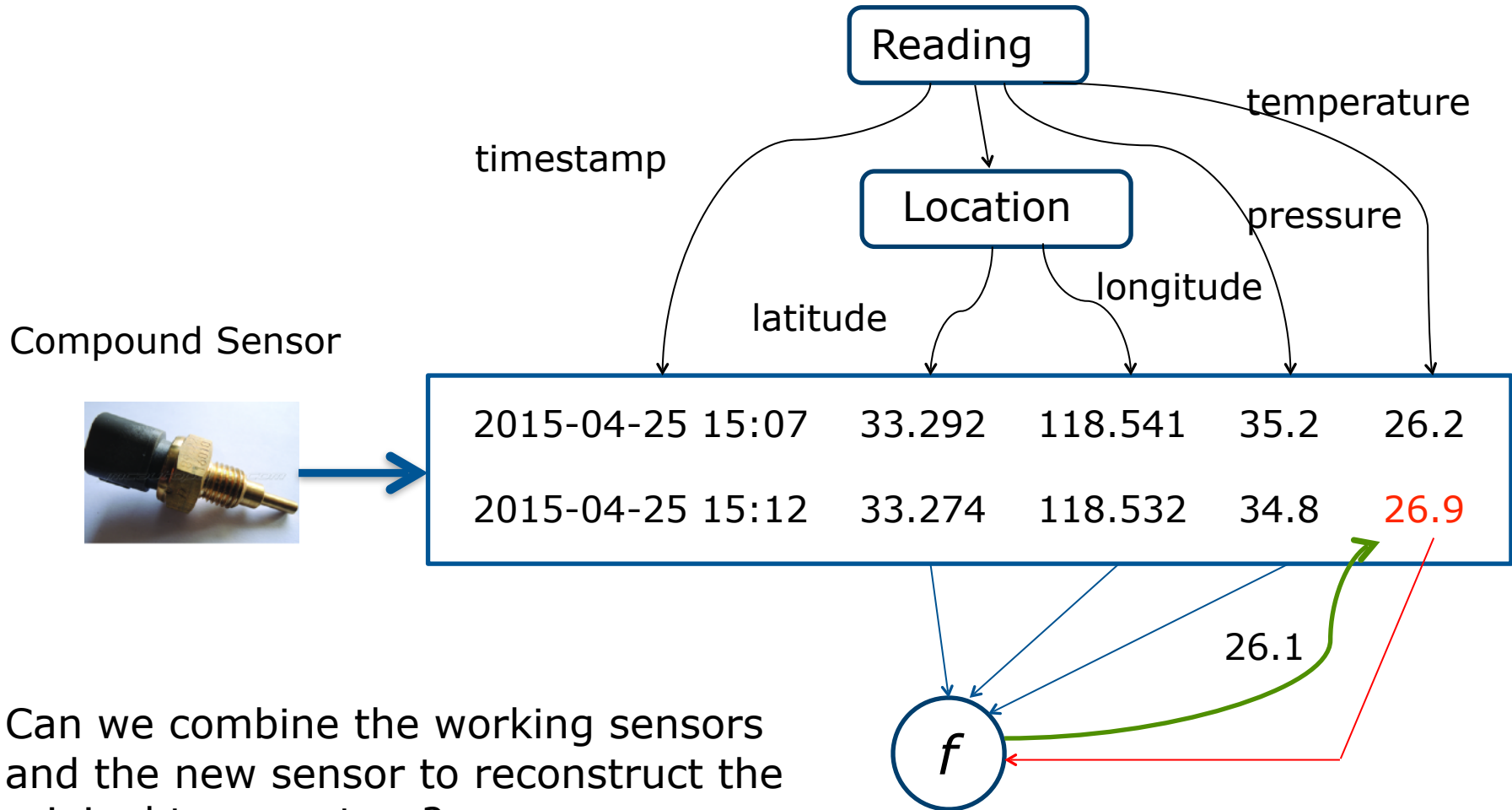
# Real-world Example of Sensor Replacement



Replaced by a new temperature sensor

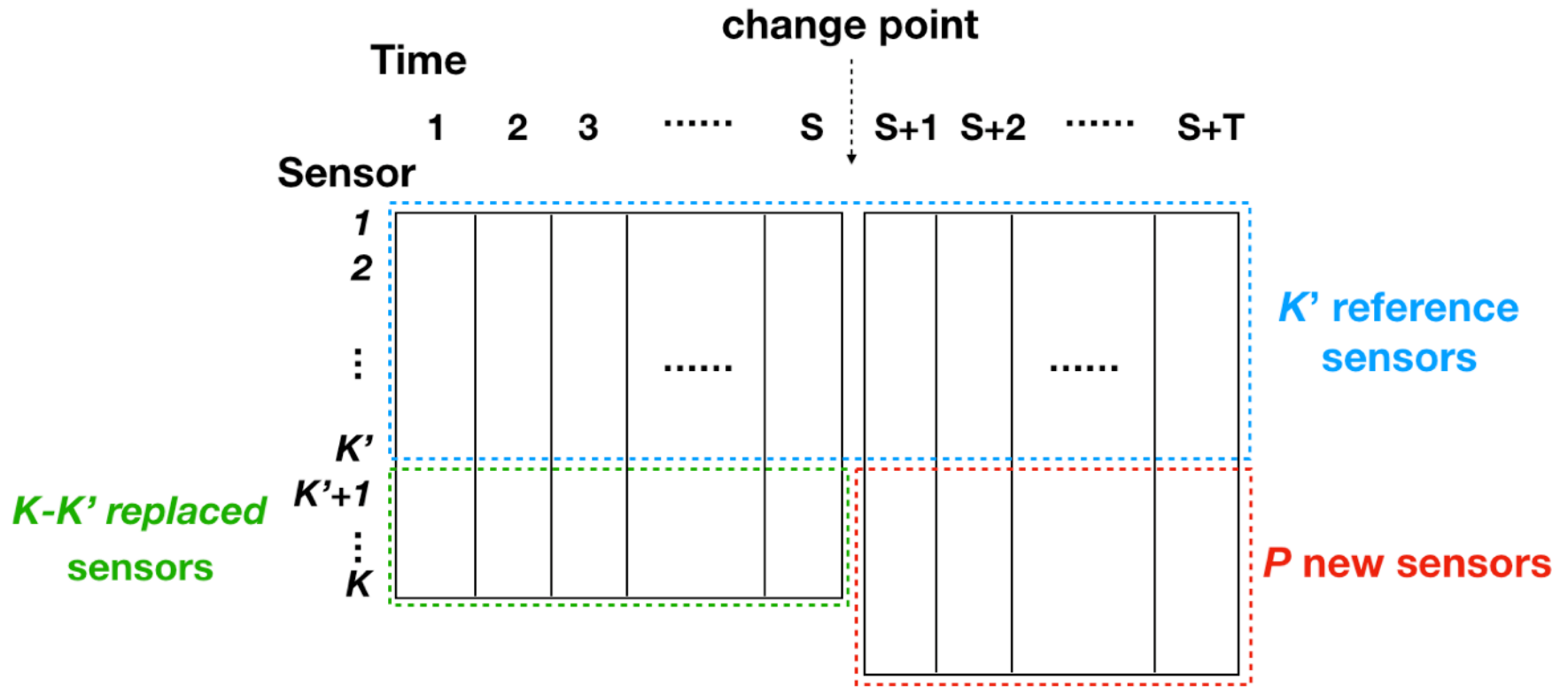
Direct replacement can be bad!

# Real-world Example of Sensor Replacement



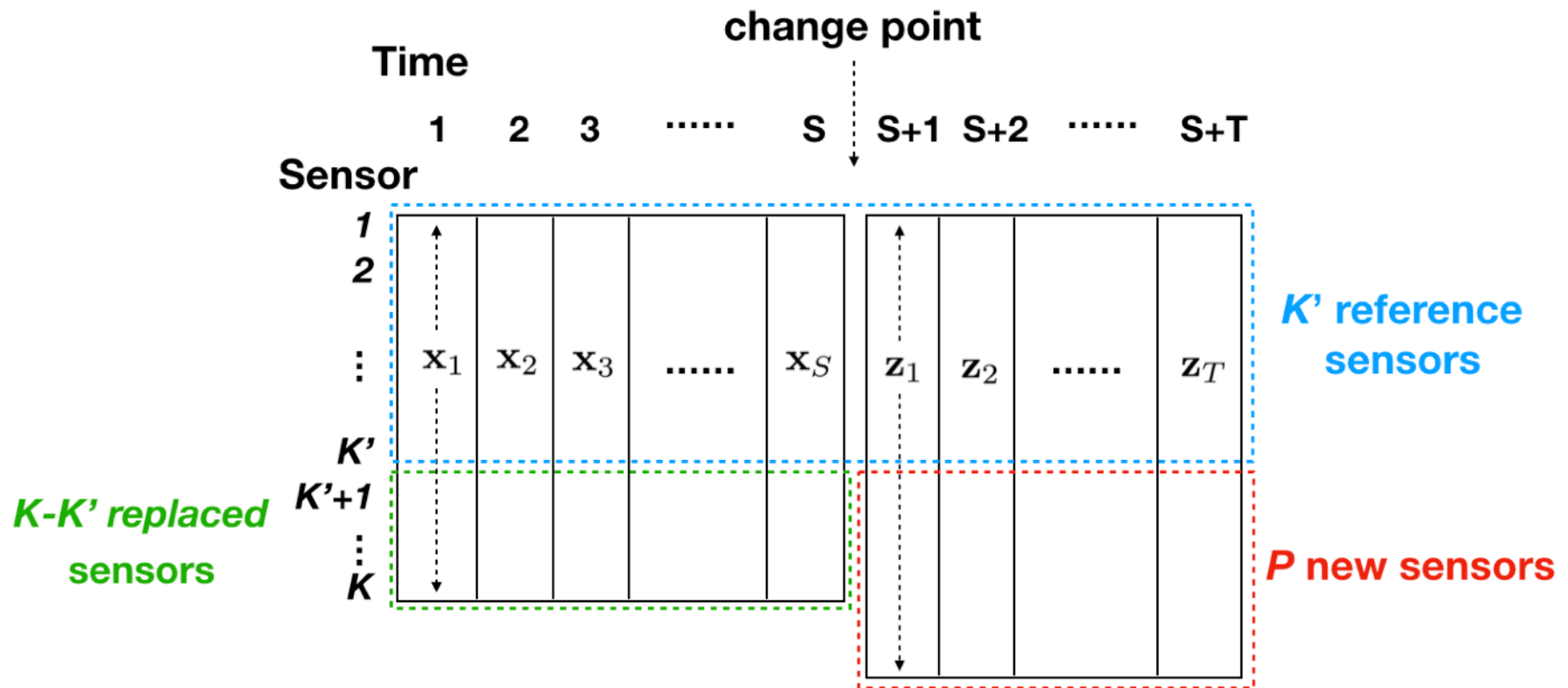
Can we combine the working sensors and the new sensor to reconstruct the original temperature?

# Notations of Sensor Replacements



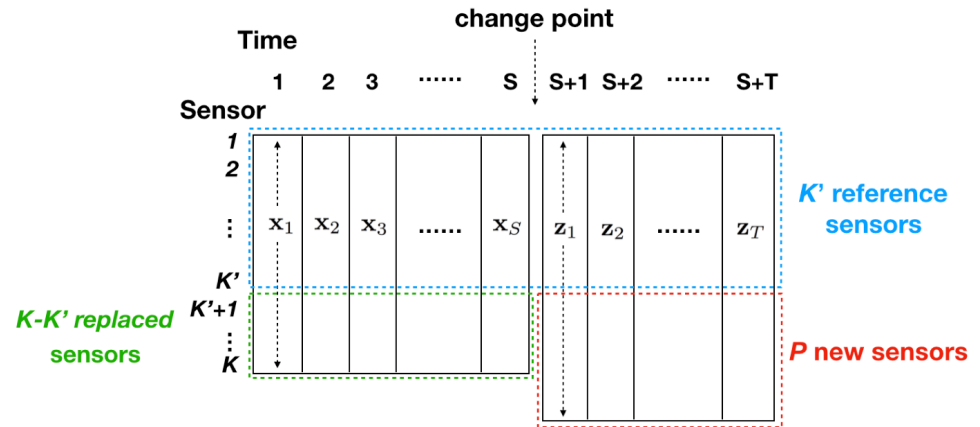


# Notations of Sensor Replacements



# Adaptation to Sensor Replacements

**Unexplored in previous work**

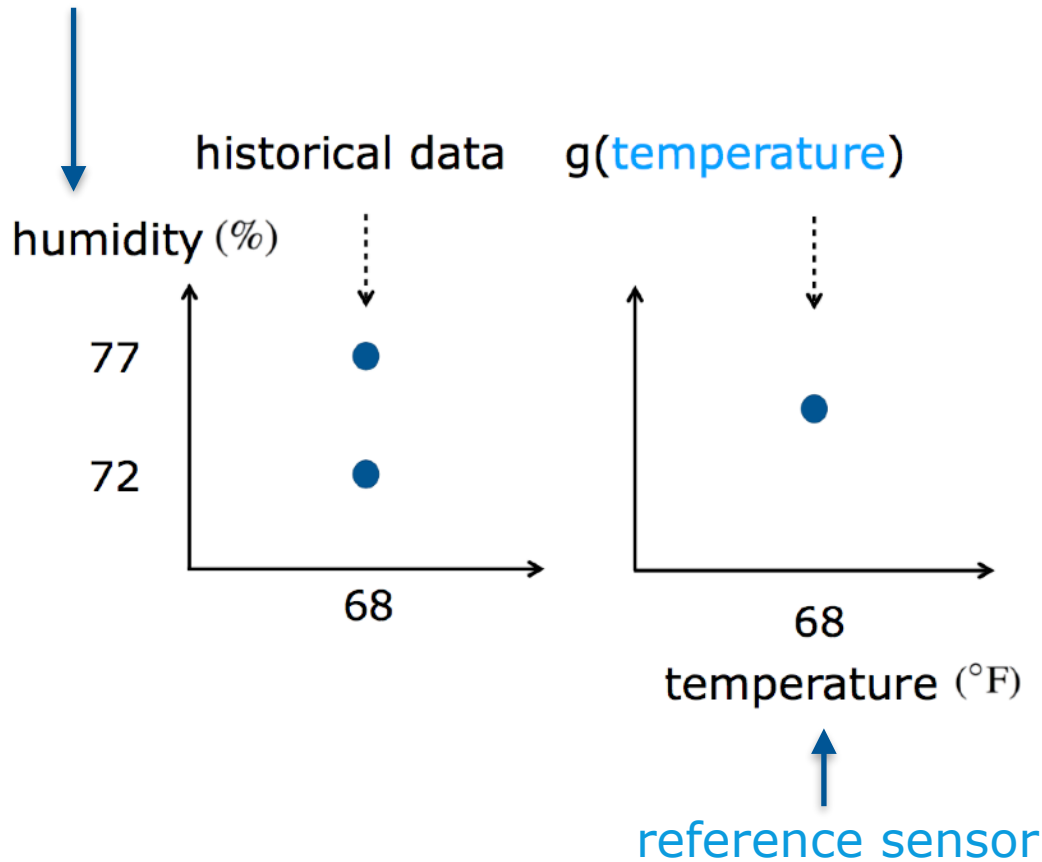


**Goal:** learning a **reconstruction function:**

$$f(\text{reference sensors}, \text{new sensors}) \longrightarrow \text{replaced sensors}$$

# Intuition of Exploiting New Sensors

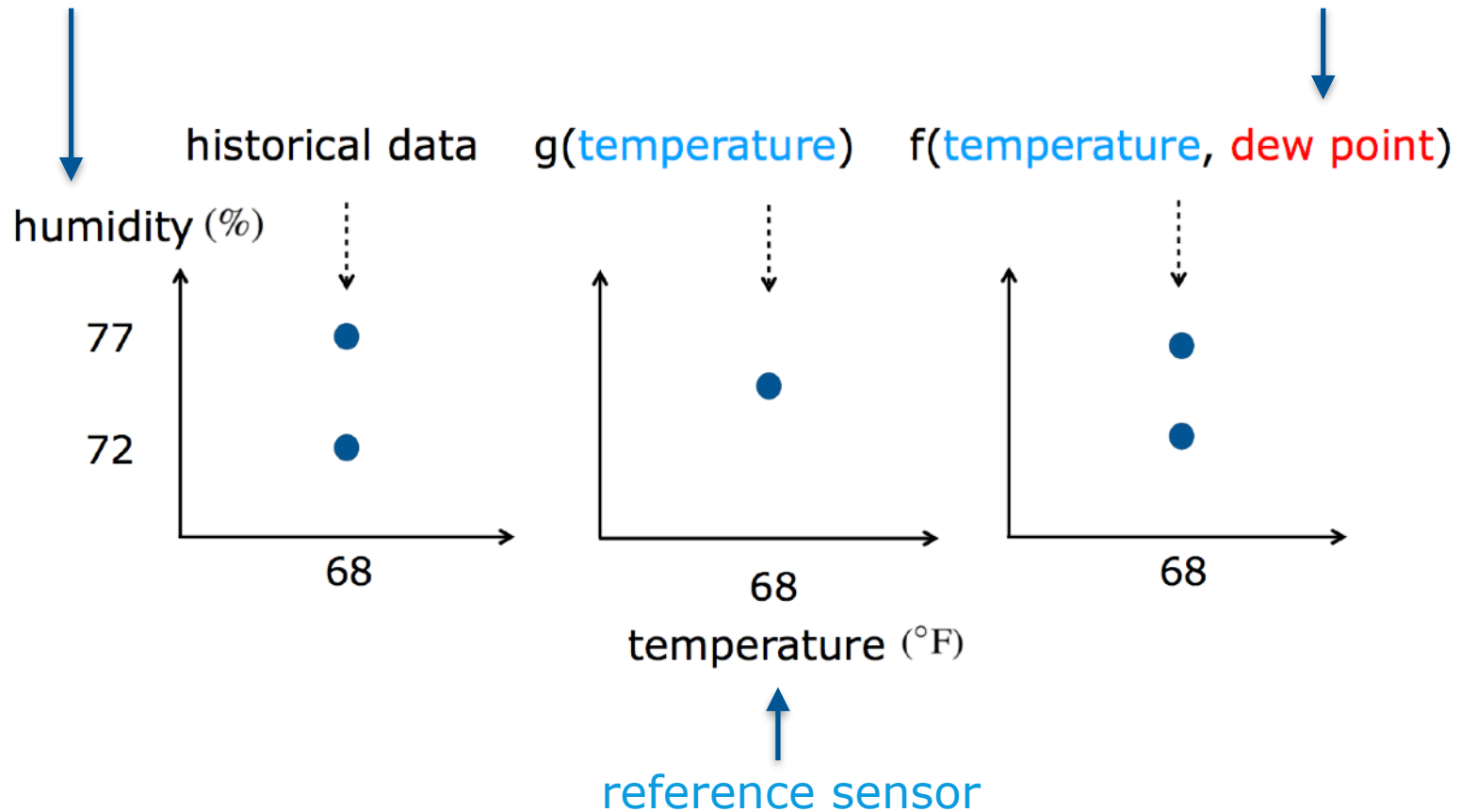
replaced sensor



# Intuition of Exploiting New Sensors

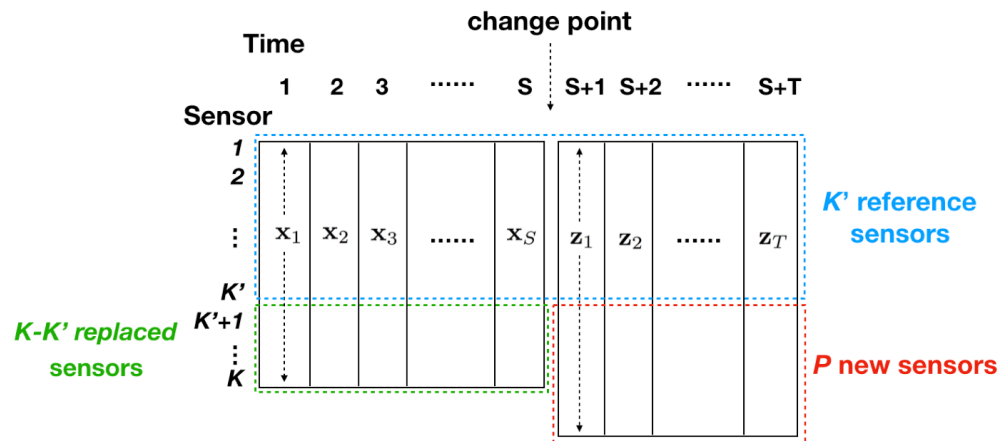
replaced sensor

new sensor



# Adaptation to Sensor Replacements

**Unexplored in previous work**

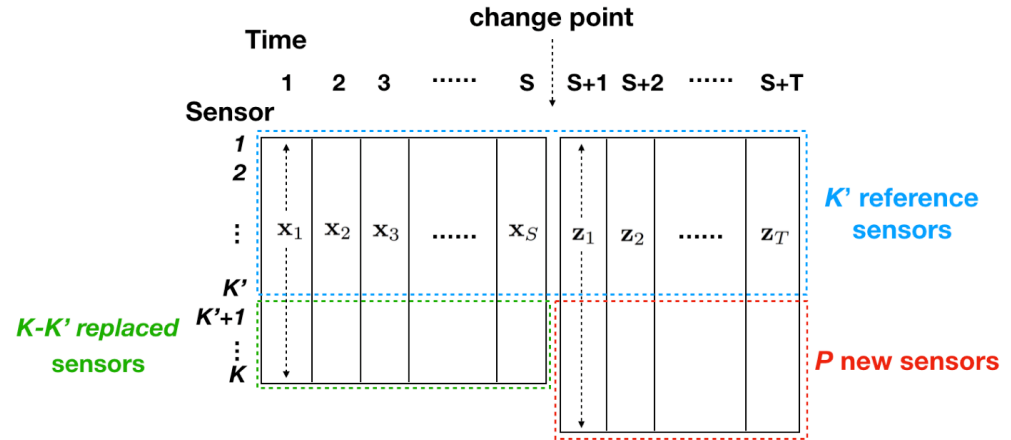


Reconstruction function:  
 $f(\text{reference sensors}, \text{new sensors}) \longrightarrow \text{replaced sensors}$

**Challenge: no overlapping** between the replaced sensors and new sensors

# Adaptation to Sensor Replacements

**Unexplored in previous work**



Reconstruction function:  
 $f(\text{reference sensors}, \text{new sensors}) \longrightarrow \text{replaced sensors}$

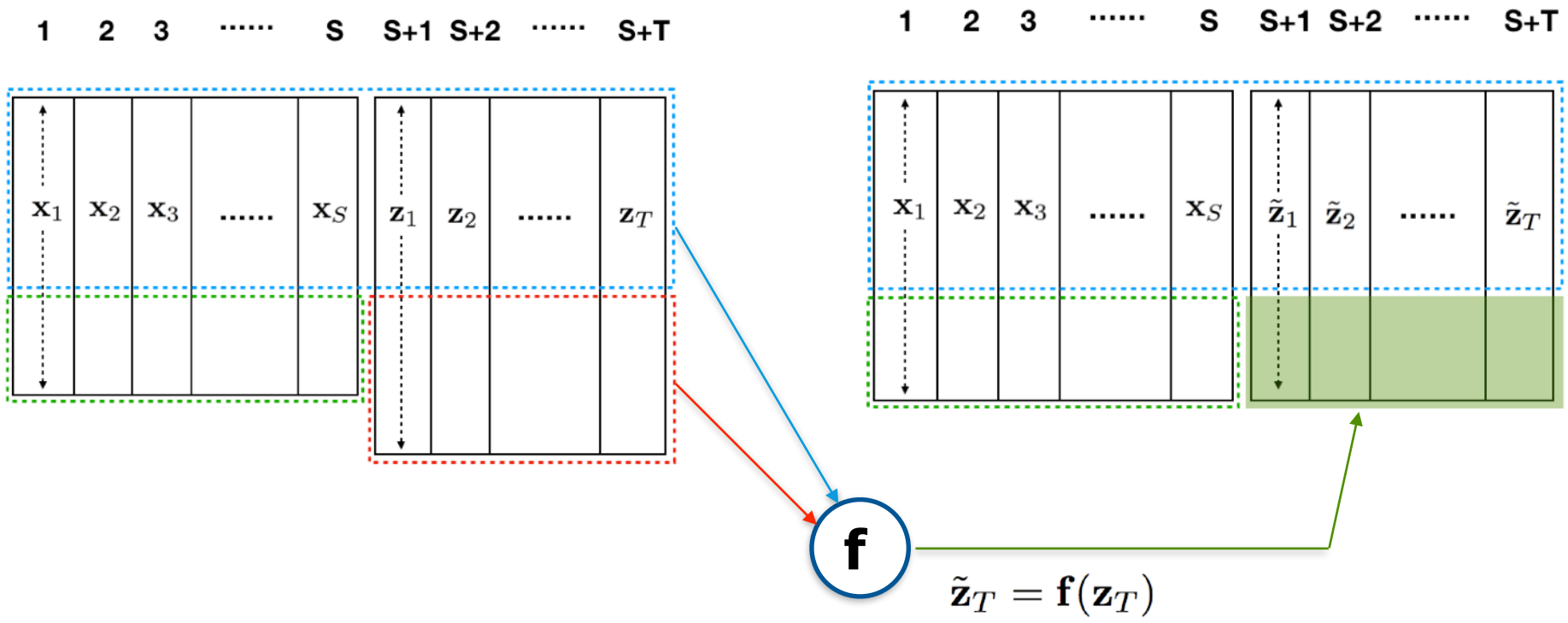
**Challenge:** **no overlapping** between the replaced sensors and new sensors

**Idea:** using the reference sensors as a bridge

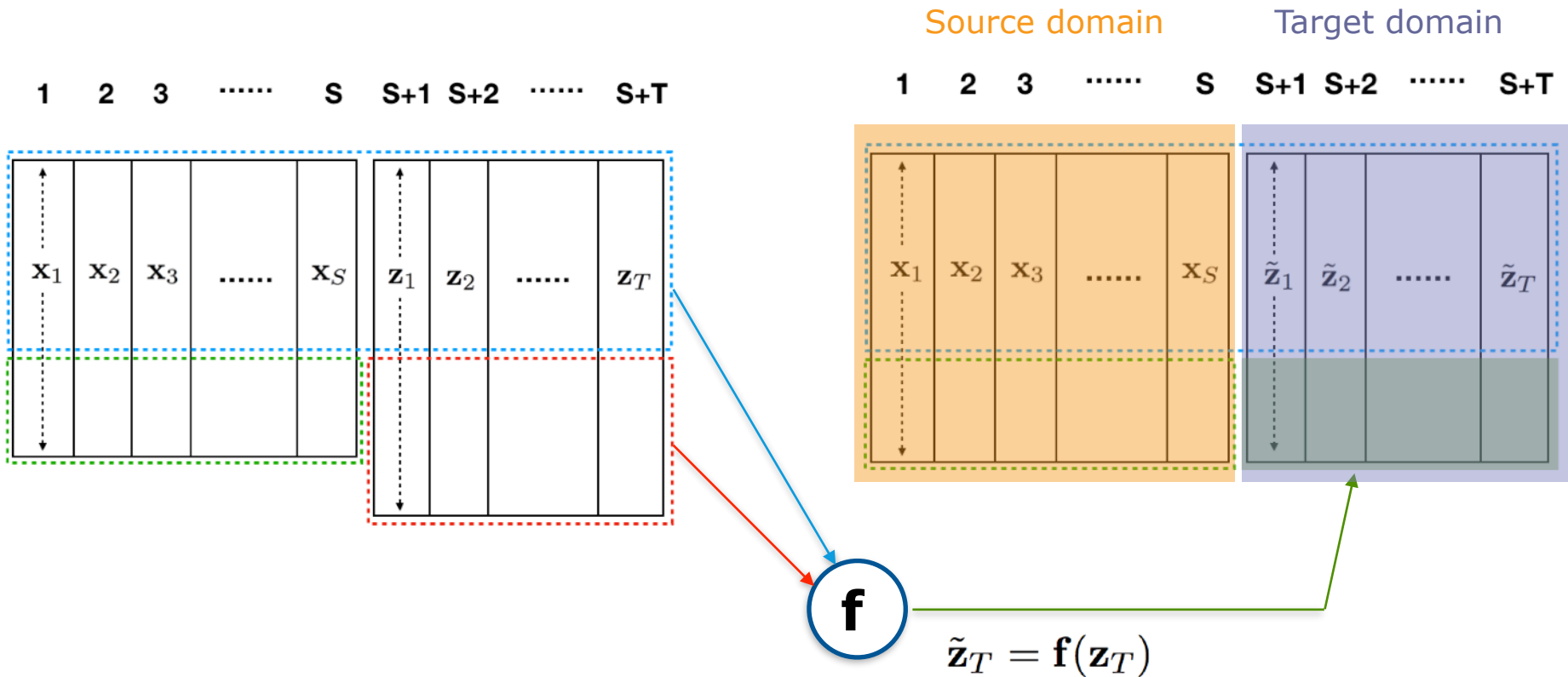
**Assumption:**

1. Sensor values from reference sensors are correlated with those from replaced sensors
2. Sensor values from reference sensors are correlated with those from new sensors

# Methodology of Our Approach



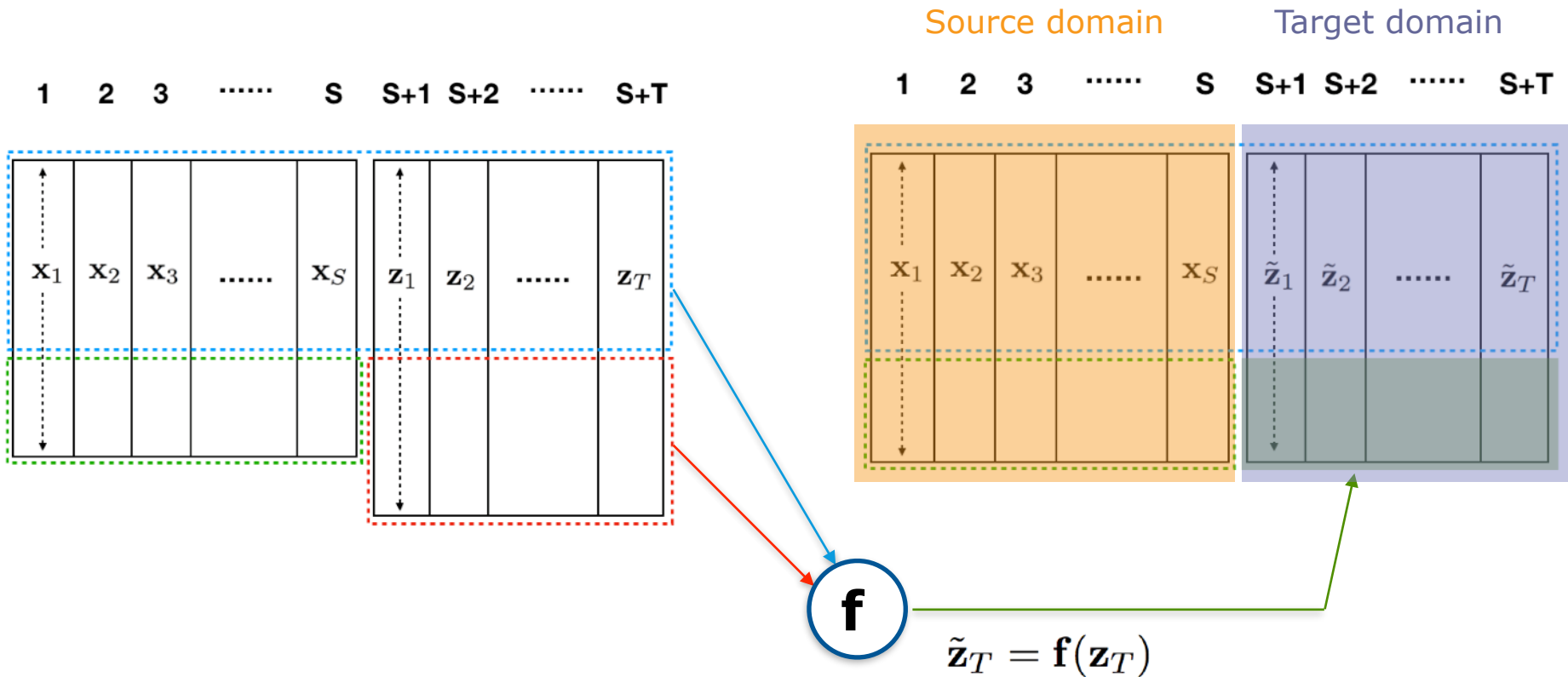
# Methodology of Our Approach





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Samples in the two domains distribute similarly

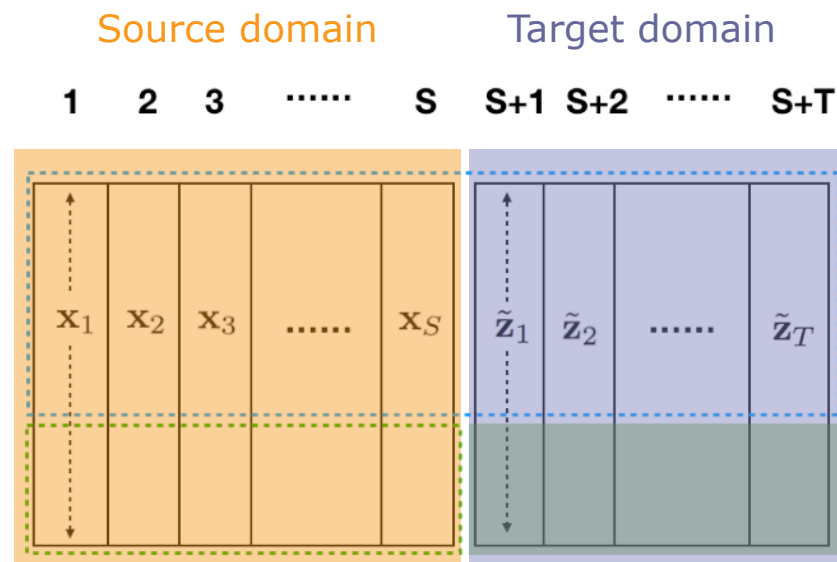
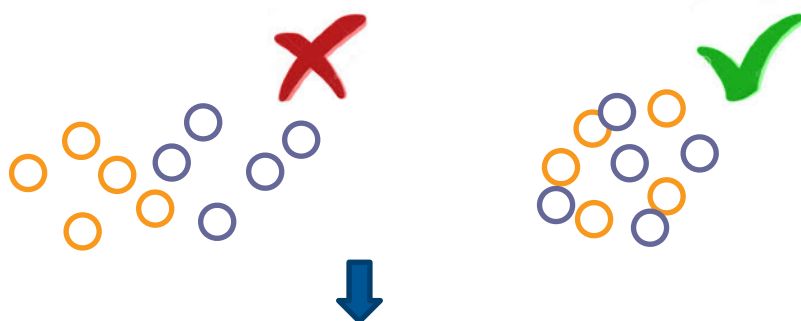


# Methodology of Our Approach

Samples in the two domains distribute similarly



Two sets of samples mixed as much as possible



Minimize cross-domain  $k$ -nearest neighbor distances

$$\min_{\theta} \sum_s \sum_{t \in \mathcal{N}_T^k(s)} \mathcal{D}(\mathbf{x}_s, \tilde{\mathbf{z}}_t) + \sum_t \sum_{s \in \mathcal{N}_S^k(t)} \mathcal{D}(\tilde{\mathbf{z}}_t, \mathbf{x}_s)$$

$\mathbf{x}_s$ 's  $k$  neighbors in the target domain

$\tilde{\mathbf{z}}_t$ 's  $k$  neighbors in the source domain

# Formulation and Optimization

$$\min_{\Theta} \sum_{s=1}^S \sum_{t \in \mathcal{N}_{\mathcal{T}}^k(s)} \mathcal{D}(\mathbf{x}_s, [\mathbf{z}_{t,1:K'}; \mathbf{f}_{\Theta}(\mathbf{z}_t)]) + \sum_{t=1}^T \sum_{s \in \mathcal{N}_{\mathcal{S}}^k(t)} \mathcal{D}([\mathbf{z}_{t,1:K'}; \mathbf{f}_{\Theta}(\mathbf{z}_t)], \mathbf{x}_s) + \lambda \|\Theta\|_2^2$$

$$\mathbf{f}_{\Theta}(\mathbf{z}) = \Theta^T \mathbf{h}(\mathbf{z})$$

regularization term

non-smooth in  $\Theta$ , because neighbors are dependent on  $\Theta$

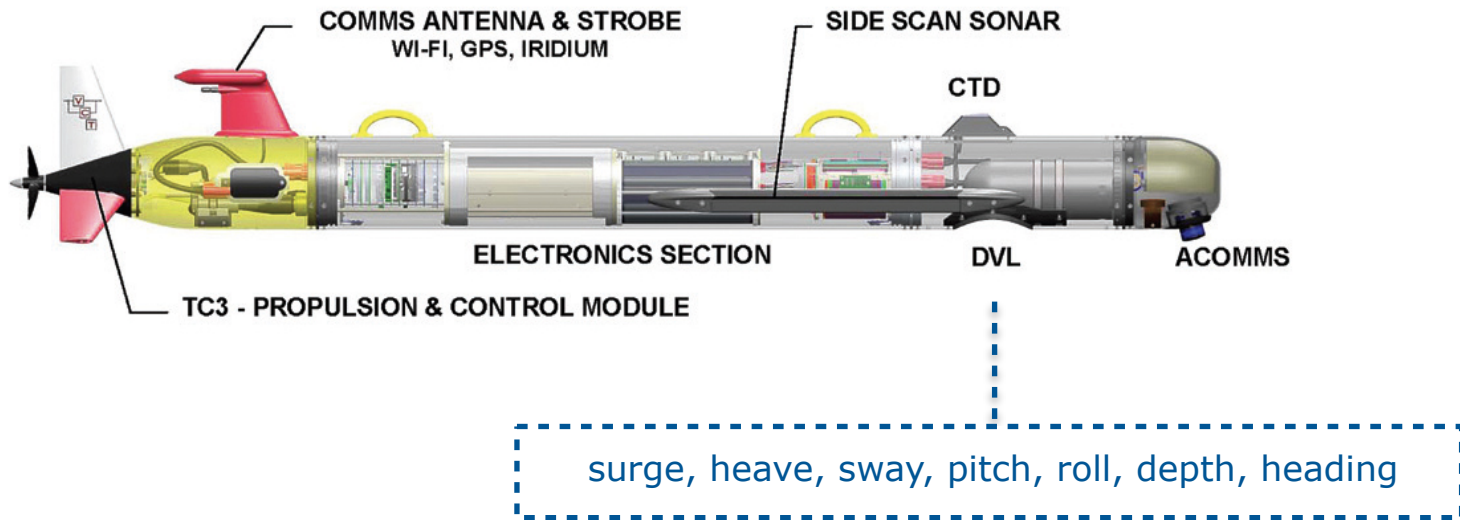
Alternating Optimization (EM-like algorithm):

- Fix  $\Theta$ , update neighbors  $\mathcal{N}_{\mathcal{T}}^k(s)$  and  $\mathcal{N}_{\mathcal{S}}^k(t)$
- Fix neighbors  $\mathcal{N}_{\mathcal{T}}^k(s)$  and  $\mathcal{N}_{\mathcal{S}}^k(t)$ , update  $\Theta$

# Results on UUV Data

A UUV travels from a starting point to an end point in a simulated environment

**Sensors:** propeller RPM, waterspeed, DVL (surge, heave, sway, pitch, roll, depth, heading)

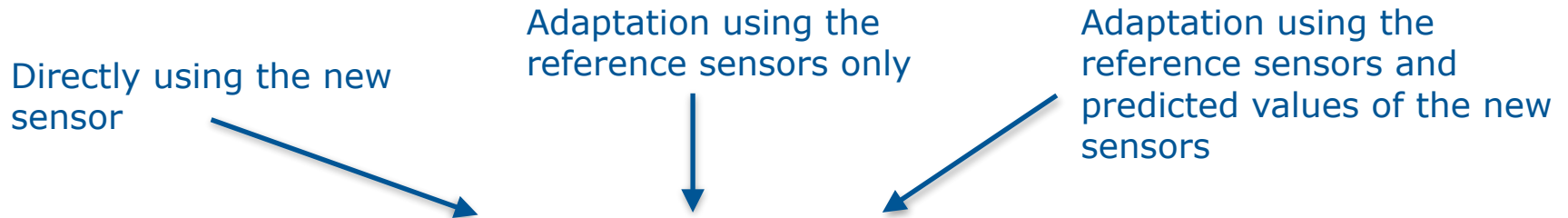


# Results on UUV Data: Individual Sensor Replacement

**Replaced sensor:** surge/heave/sway

**New sensor:** biased version of surge/heave/sway

**Reference sensors:** remaining sensors



Sensor	<b>Replace</b>	<b>Refer</b>	<b>Refer-Z</b>	<b>ASC</b>	Imp.(%)
surge	2.47	0.66	0.58	0.47	18.9
heave	0.13	0.020	0.020	0.019	6.5
sway	2.31	0.74	0.72	0.71	1.1

Our approach

Reconstruction errors (RMSE) averaged over 20 simulated trips

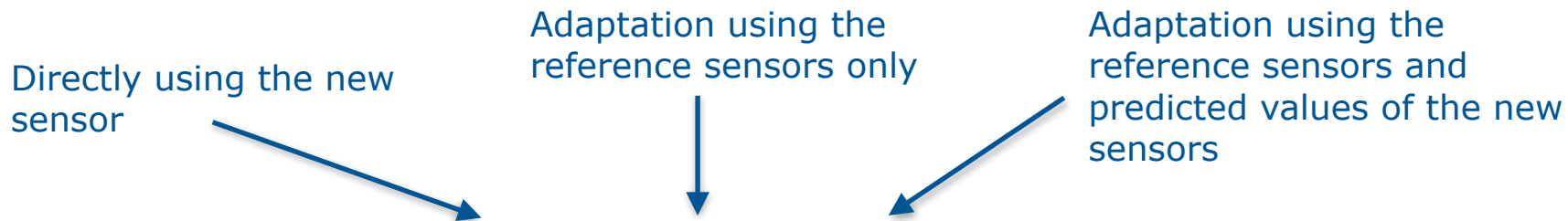
**ASC** achieves an average improvement of 8.8% over the competing methods

# Results on UUV Data: Compound Sensor Replacement

**Replaced sensors:** all DVL sensors

**New sensor:** biased version of surge, heave and sway

**Reference sensors:** remaining sensors (propeller RPM, waterspeed)



Sensor	Replace	Refer	Refer-Z	ASC	Imp.(%)
surge	2.47	0.71	0.67	0.62	6.0
heave	0.094	0.026	0.026	0.024	3.4
sway	2.31	0.78	0.75	0.75	-0.5

Our approach

Reconstruction errors (RMSE) averaged over 20 simulated trips

**ASC** achieves an average improvement of 3.0% over the competing methods

# Results on Weather Data

## Weather Underground Data

30 weather stations from 10 geographical clusters

**Sensors:** temperature, dew point, humidity, wind speed, wind gust, pressure

Compared to baselines, our approach **ASC** achieves

**6.4%** improvement for **individual sensor replacements**

**5.7%** improvement for **compound sensor replacements**

# Further Improvements

- **Dealing with many sensors**
  - Challenging due to more noise in sensor values
  - **Approach:** select a subset of the reference sensors and new sensors that are well correlated with the replaced sensors
- **Estimating adaptation quality**
  - Useful for upper-level software
  - **Approach:** produce an error interval instead of a single reconstruction value



# Related Work

- **Detecting Sensor Failures and Changes**

- Change point detection [Aminikhanghahi and Cook '16] [Pimentel et al., '14]
  - **Distribution-based** [Kawahara and Sugiyama, '12] [Harchaoui et al., '09] [Yamanishi and Takeuchi, '02]
  - **Reconstruction-based** [Crook et al., '02] [Singh and Markou, '04] [Ide and Tsuda, '07] [Chatzigiannakis et al., '06]
  - **Probabilistic** [Adams and MacKay, '07] [Saatci et al., '10] [Dereszynski and Dietterich, '12] [Dietterich et al. '12]
  - **Distance-based** [Angiulli and Pizzuti, '02] [Bay and Schwabacher, '03] [Chawla and Sun, '06] [Keogh et al., '01] [Ide et al., '13] [Budalakoti et al., '06] [Chen et al., '15]

Most detection methods do not address how to automatically adapt to failures or changes

- **Reconstruction of Sensor Values**

- Some probabilistic methods [Dereszynski and Dietterich, '12] [Dietterich et al. '12] can be used to reconstruct changed sensor, but cannot leverage new sensors
- Our earlier work [Yuan and Craig, '17] can only exploit a single new sensor

Our approach can adapt to multiple new sensors, which are not possible by existing approaches

# Conclusion

- A novel problem of automatically adapting to sensor replacements
  - In the context of building long-lived, survivable software
- A machine learning approach capable of
  - Exploiting new sensors
  - Scaling to many sensors
  - Estimating the adaptation quality
- Supported by empirical study in the UUV and weather domains